



# Sideband Deconvolution

The screenshot shows the HIPE 9.1.0 software interface. The main window is titled 'Editor' and contains a 'Spectrum1d' object. The 'Meta Data' section is expanded, showing a table of parameters:

name	value	unit	
wavename	frequency		Actual name of the WaveColumn
waveunit	GHz		Units of the WaveColumn
wavedescription	Single Sideband Frequency		Description of the WaveColumn
bin_size	5.0E-4		Sampling width [GHz]
polarization	WBS-H		Polarization
tolerance	0.0010		Convergence tolerance
max_iterations	200		Maximum number of iterations
spur_rejection	REJECT SCANS WITH SPURS		Flag to reject scans, suitable for

The 'Data' section shows a tree view with 'decon\_result' expanded to show 'ssb', 'gain', and 'redundancy'. The 'Console' window at the bottom displays the following text:

```
Reference scheme: DBS mode.  
Total scans = 90  
Total bad scans = 8  
Total bad channels = 0  
LO Frequency range: 563.4628422057649 GHz to 628.1299325462097 GHz  
DeConvolving with gain fitting off...  
Min Chisquare = 0.005620092164812858 after 7 iterations.  
Done!!!  
HIPE> interim_output = doDeconvolution.interim_output  
HIPE>
```

The plot shows 'Antenna Temperature' on the y-axis (ranging from 0 to 8) versus 'Single Sideband Frequency' on the x-axis (ranging from 560 to 590 GHz). A single sharp peak is visible at approximately 575 GHz, reaching a temperature of about 8.5.





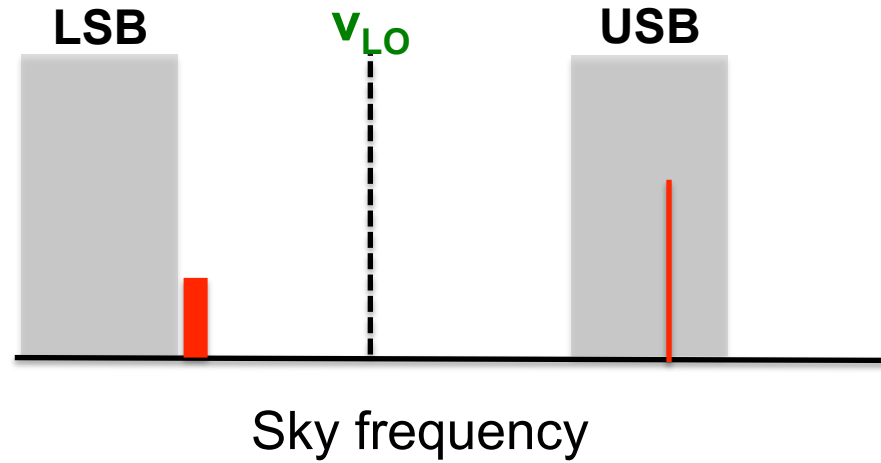
# Outline



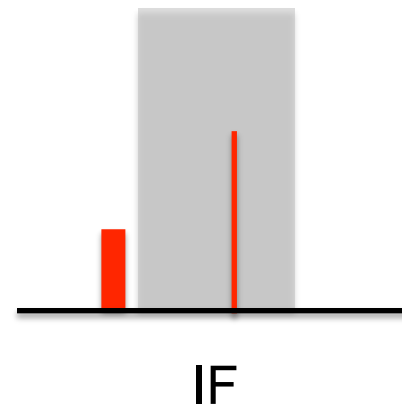
- What is sideband deconvolution and why it is necessary for HiFi data
- General description of the algorithm
- Implementation within HIPE
- Workflow for spectral scans

- Detectors are not able to directly measure flux at the frequencies of interest. But by mixing the signal from the sky with a local oscillator, we `downconvert' the frequency.
- $\cos(\omega)\cos(\nu_{LO})=0.5[\cos(\omega-\nu_{LO}) + \cos(\omega+\nu_{LO})]$
- When  $\omega$  is the entire, unfiltered sky frequency, you end up being sensitive to TWO bandpasses. ( $\cos(\nu) = \cos(-\nu)$ )

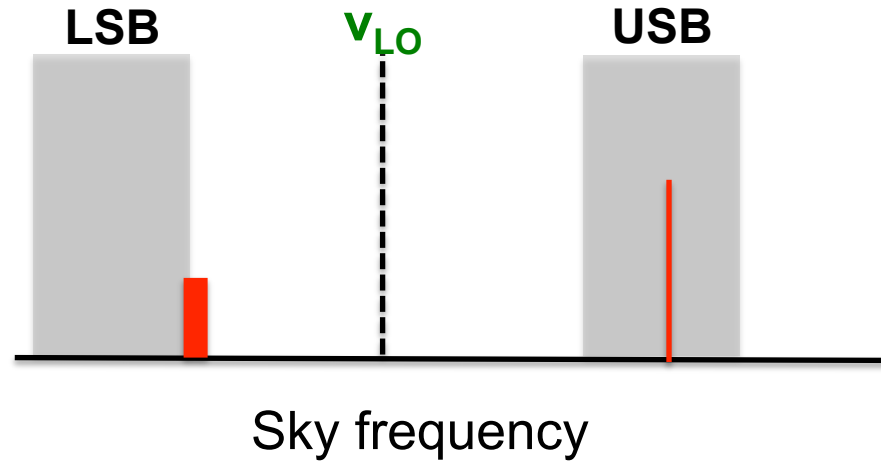
What is being measured ->



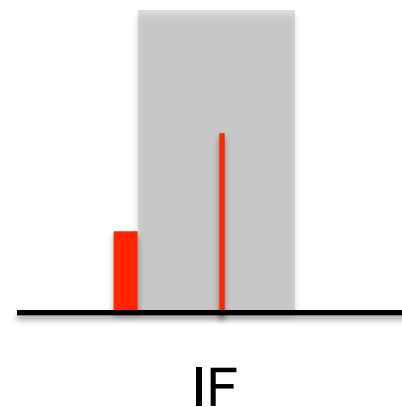
How it looks when collected->



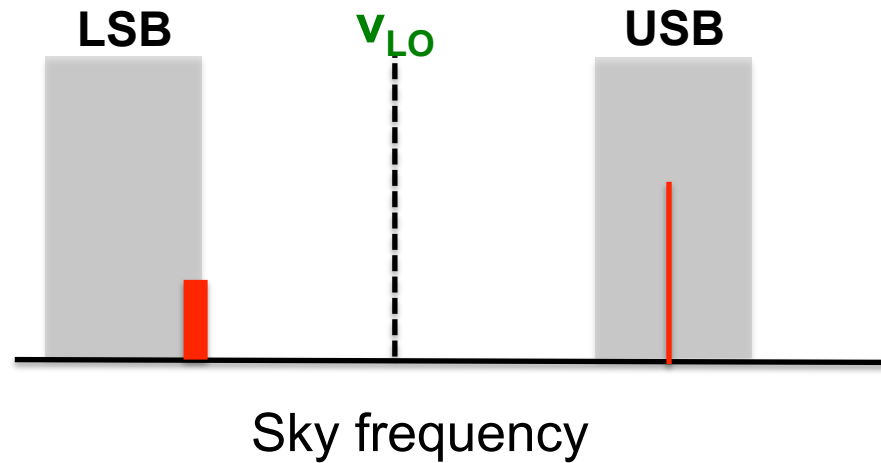
What is being measured ->



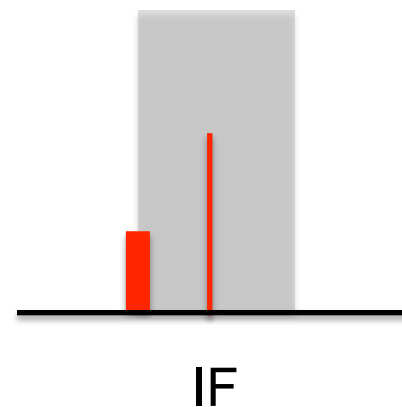
How it looks when collected->



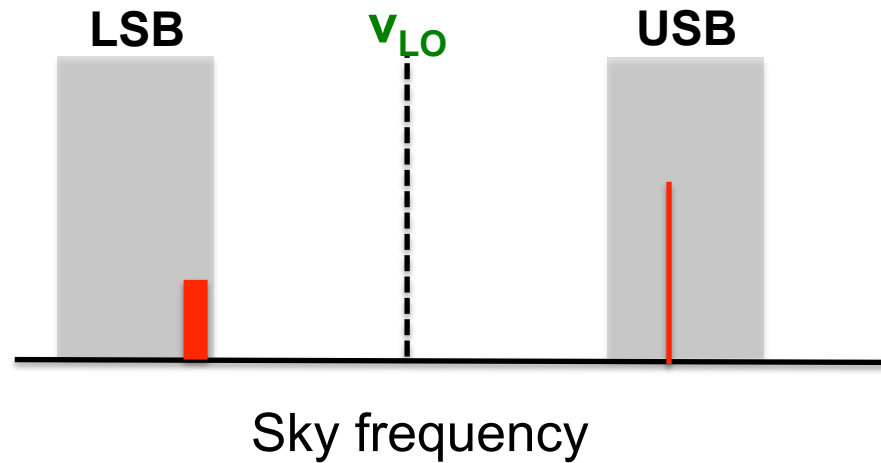
What is being measured ->



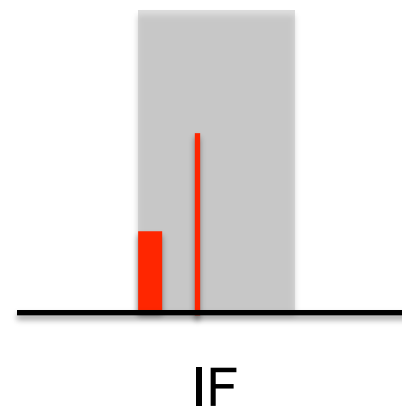
How it looks when collected->



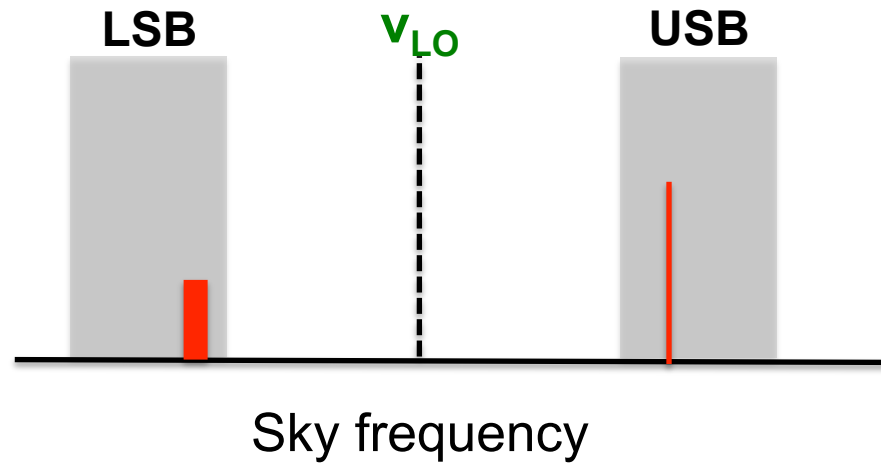
What is being measured ->



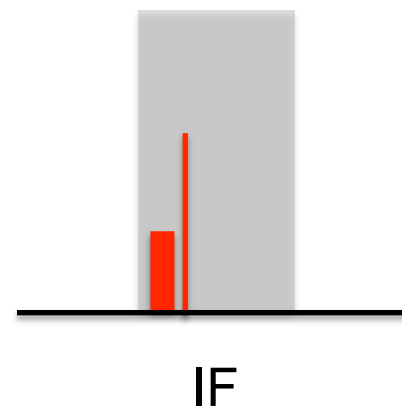
How it looks when collected->



What is being measured ->

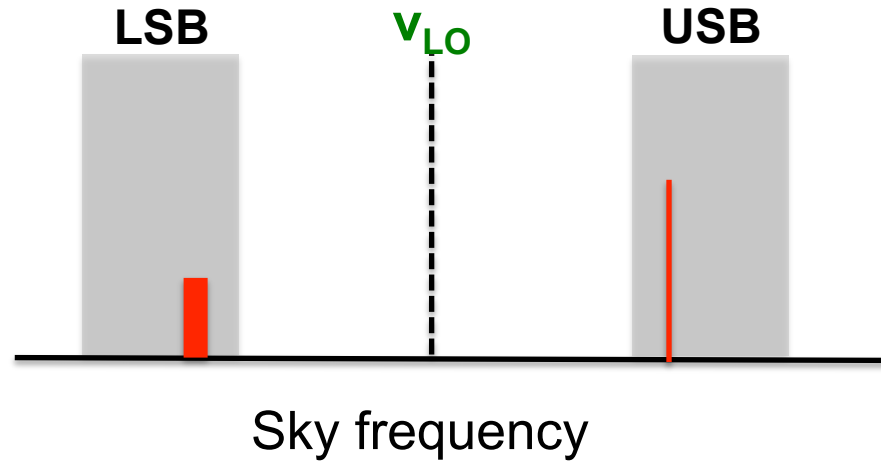


How it looks when collected->

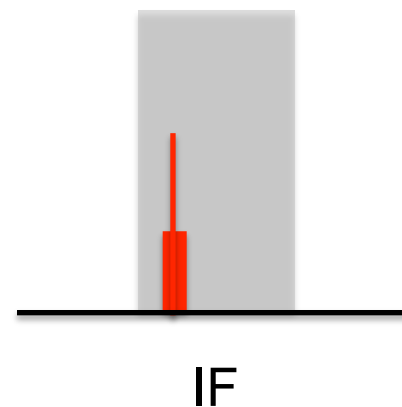




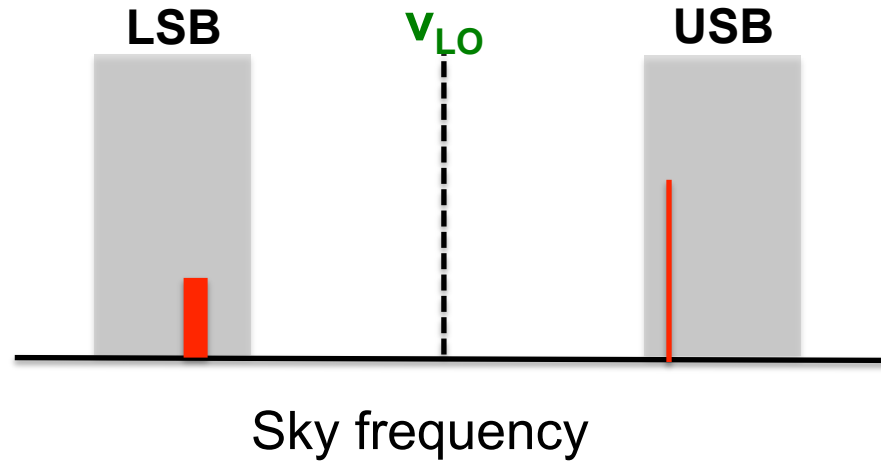
What is being measured ->



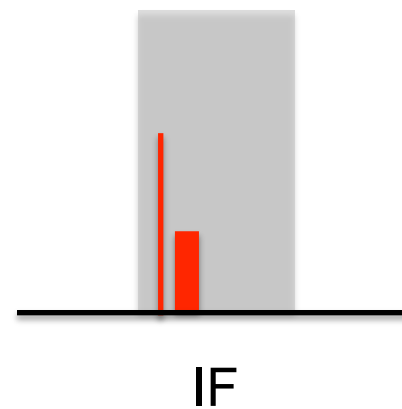
How it looks when collected->



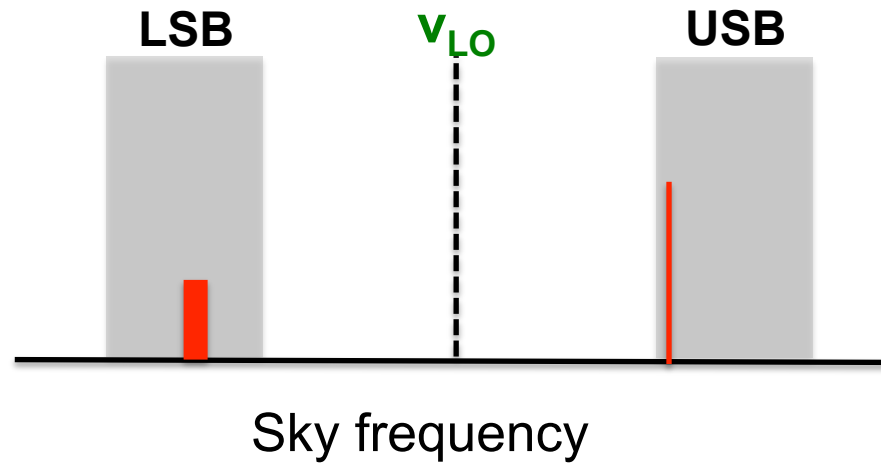
What is being measured ->



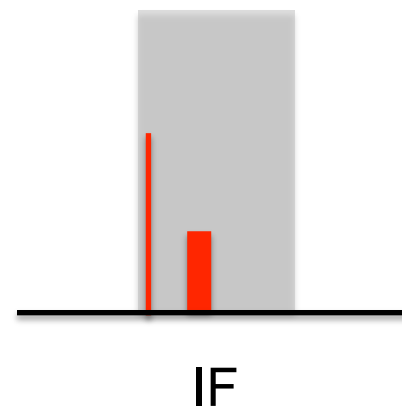
How it looks when collected->



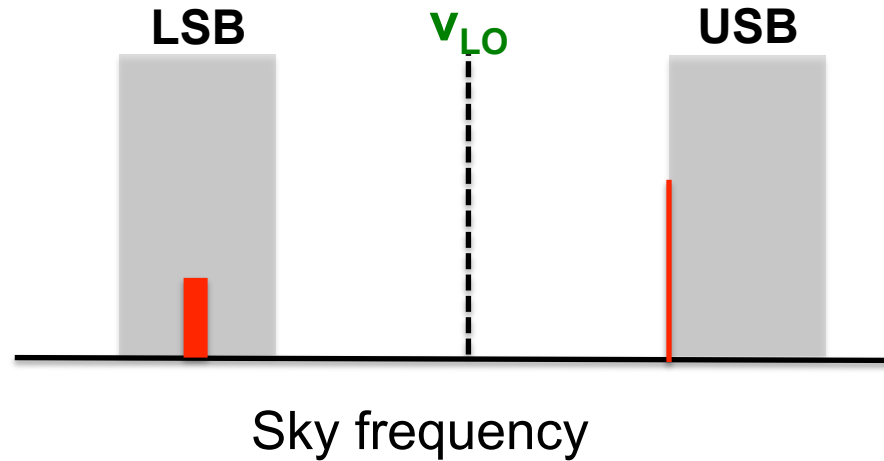
What is being measured ->



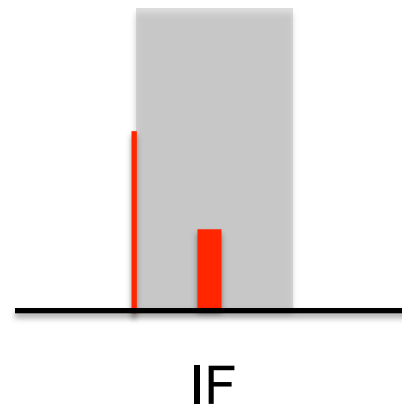
How it looks when collected->



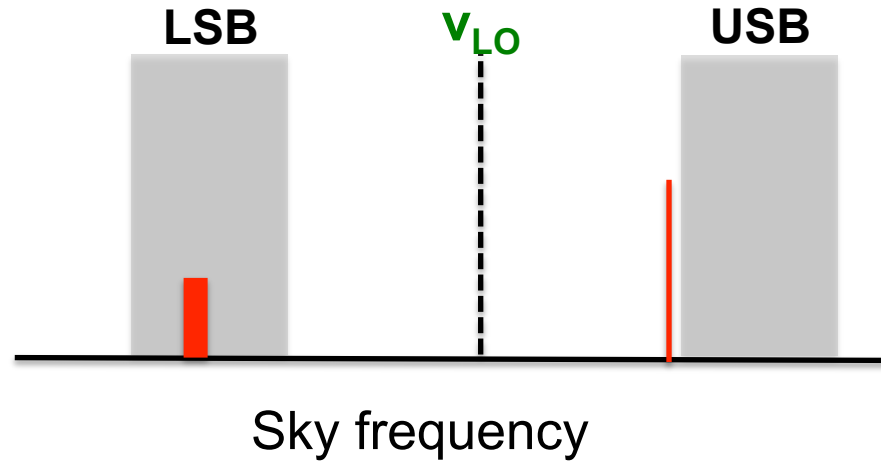
What is being measured ->



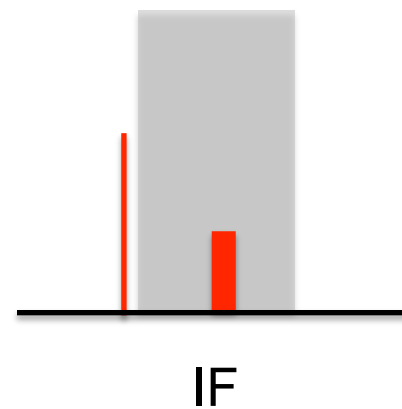
How it looks when collected->



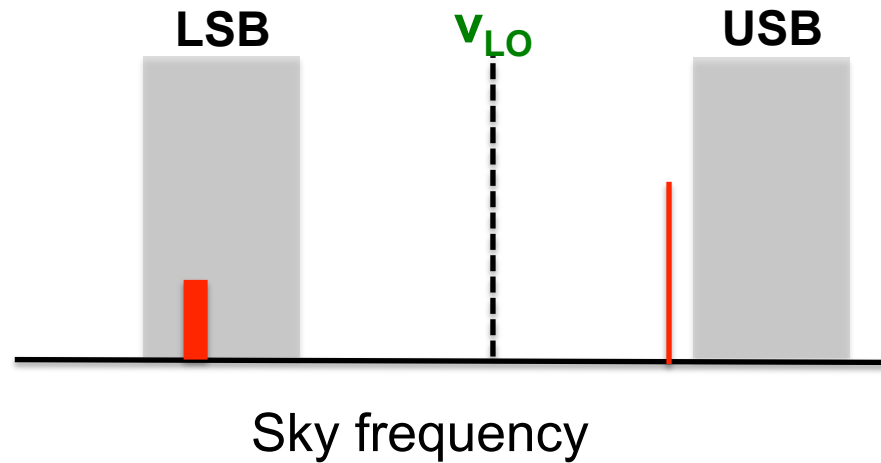
What is being measured ->



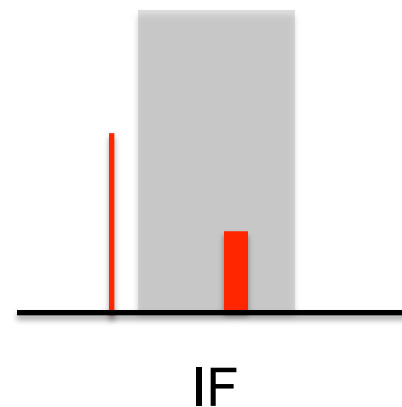
How it looks when collected->



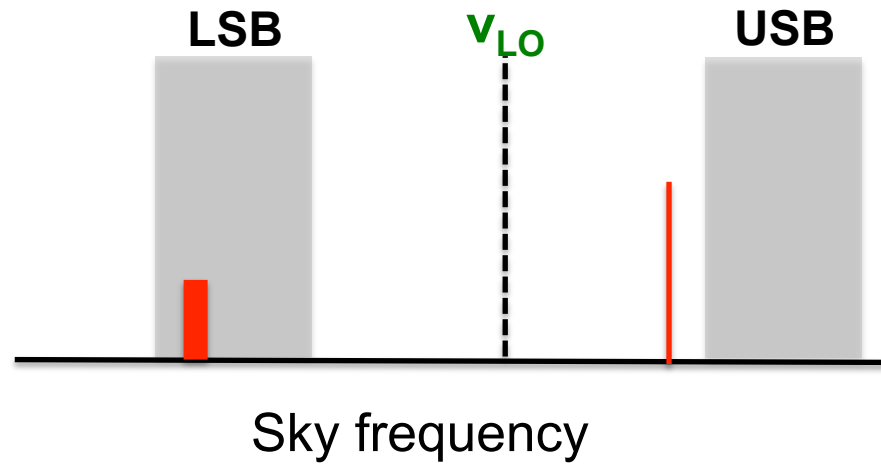
What is being measured ->



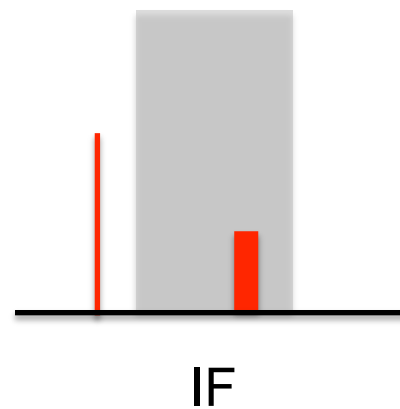
How it looks when collected->

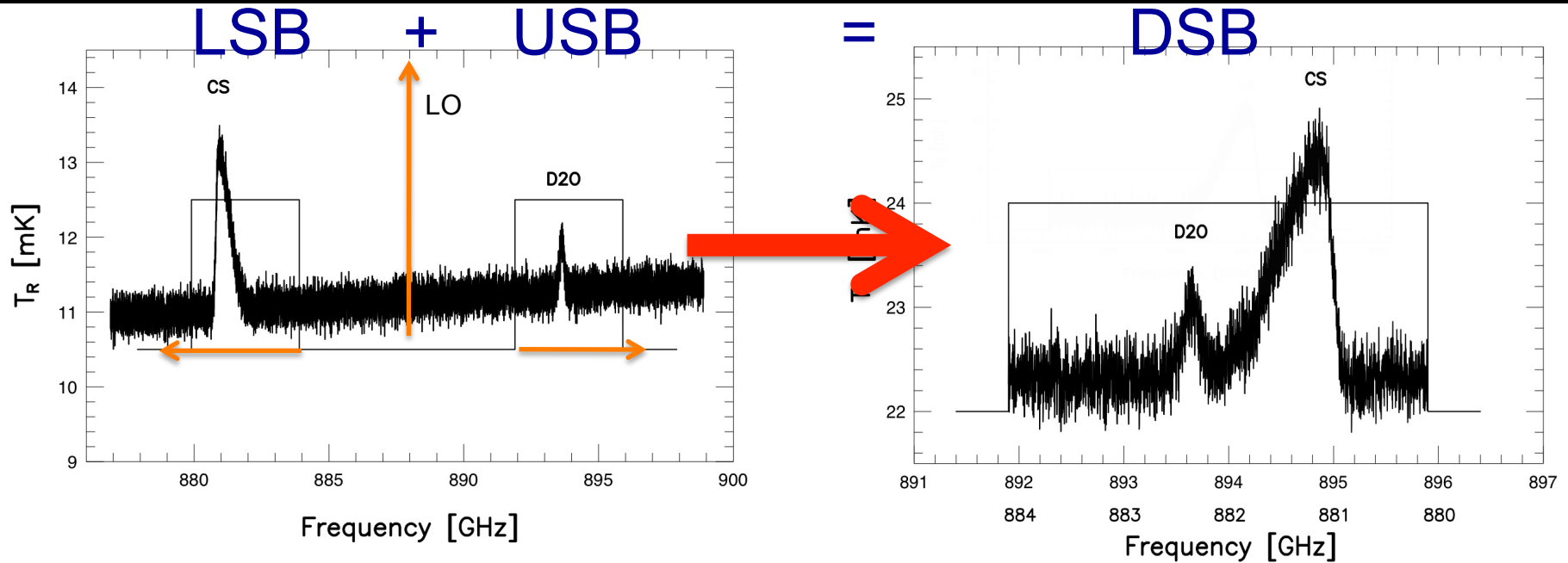


What is being measured ->



How it looks when collected->





- Lower sideband spectrum is reversed and added
- Two frequency scales result in the DSB result
- The lines may blend but they can be recovered (deconvolved)
- The continuum levels add (double) in the DSB
- The continuum slope is flattened but may be recovered (deconvolved)
- The noise adds in quadrature, increasing as  $\sqrt{2}$





# Sideband Deconvolution



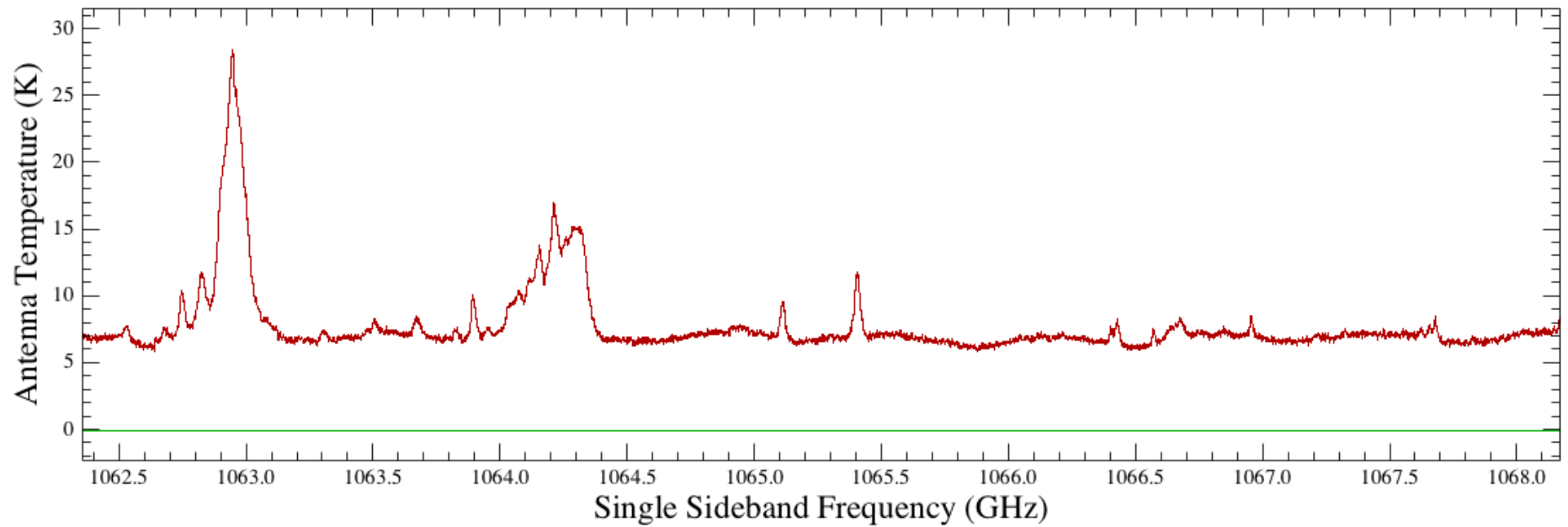
- The problem is the following: Given a collection of double sideband data taken over several LO tunings, how do we recover the original 'sky' spectrum?
- Comito & Schilke (2002) provide an algorithm which has been successfully employed with ground based heterodynes.
- Has been implemented in CLASS + X-CLASS (Fortran based) but was converted to JAVA for use within HIPE. Upgrades to the algorithm have been almost exclusively within HIPE.



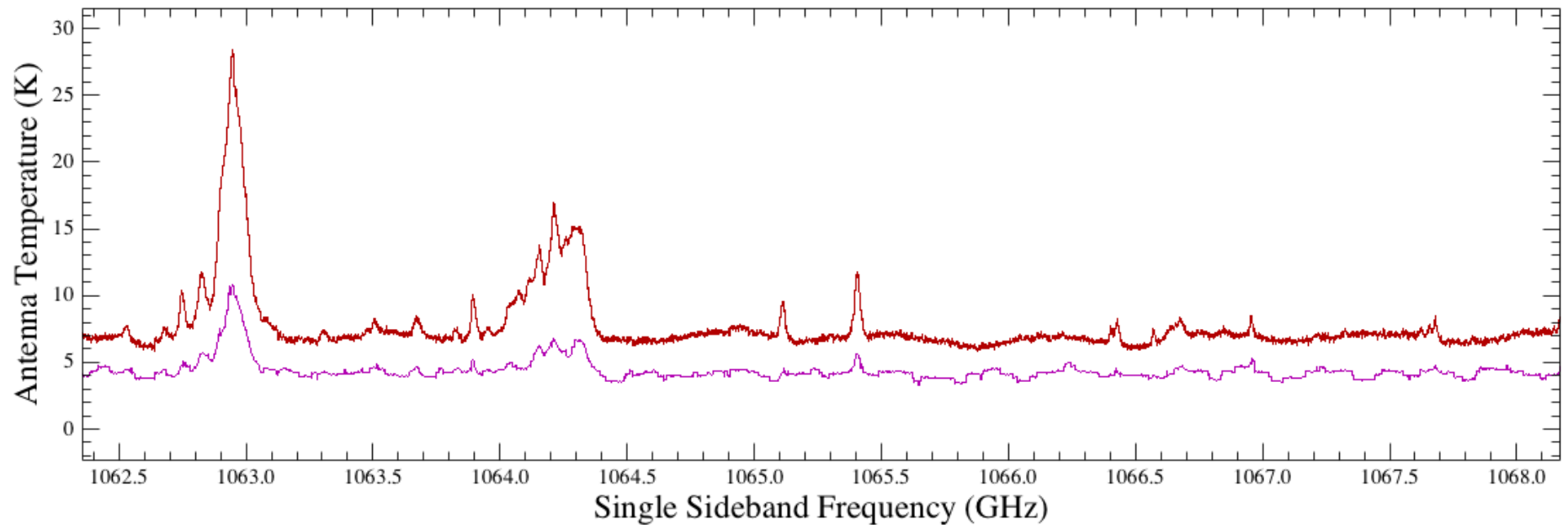
- Start with a guess of the answer – a model with no assumptions for the SSB spectrum – flat
- "Observe it" – using knowledge of the instrument
- compare the observations of the model with the real observations
- compute a chi square and a delta (differential) chi-square
- each model "spectral channel" was in part responsible for some of the chi square change
- follow the slope of the chi square downward (it's partial derivative w.r.t. the channel flux (and optionally the sideband gain))
- new downward steps always move at right angles to previous ones in the *Conjugate Gradient Method*
- Stop, when solution converges asymptotically, as defined by the "tolerance"

*It's iterative*

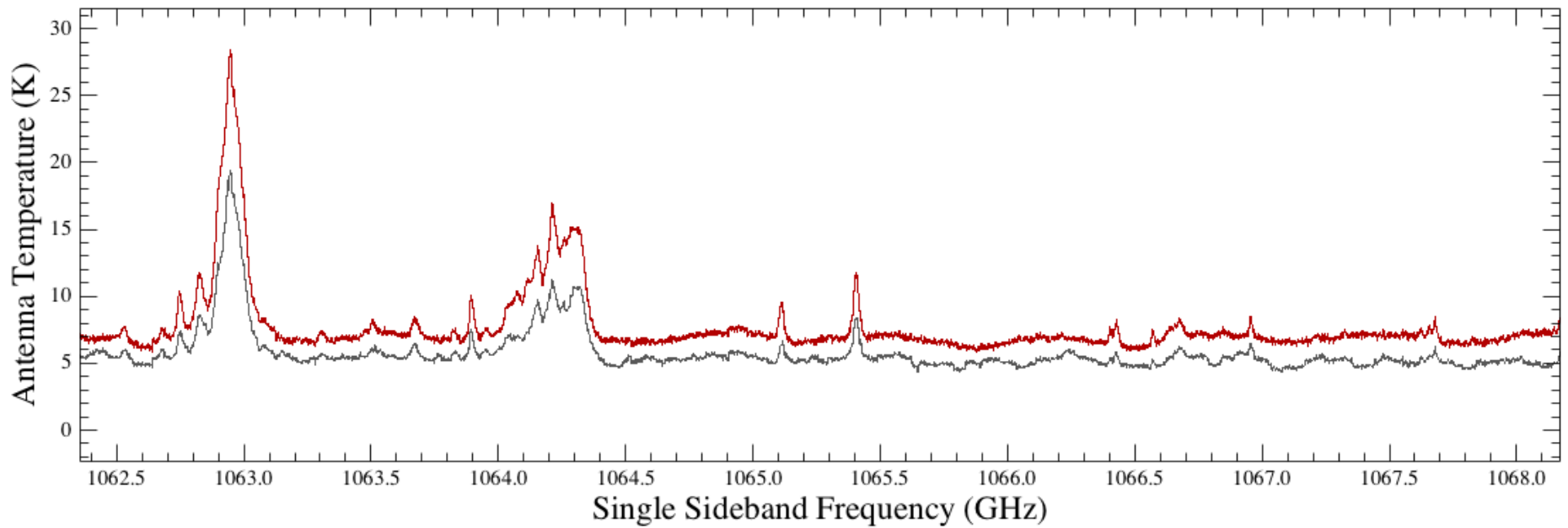
# Example: Iteration 0



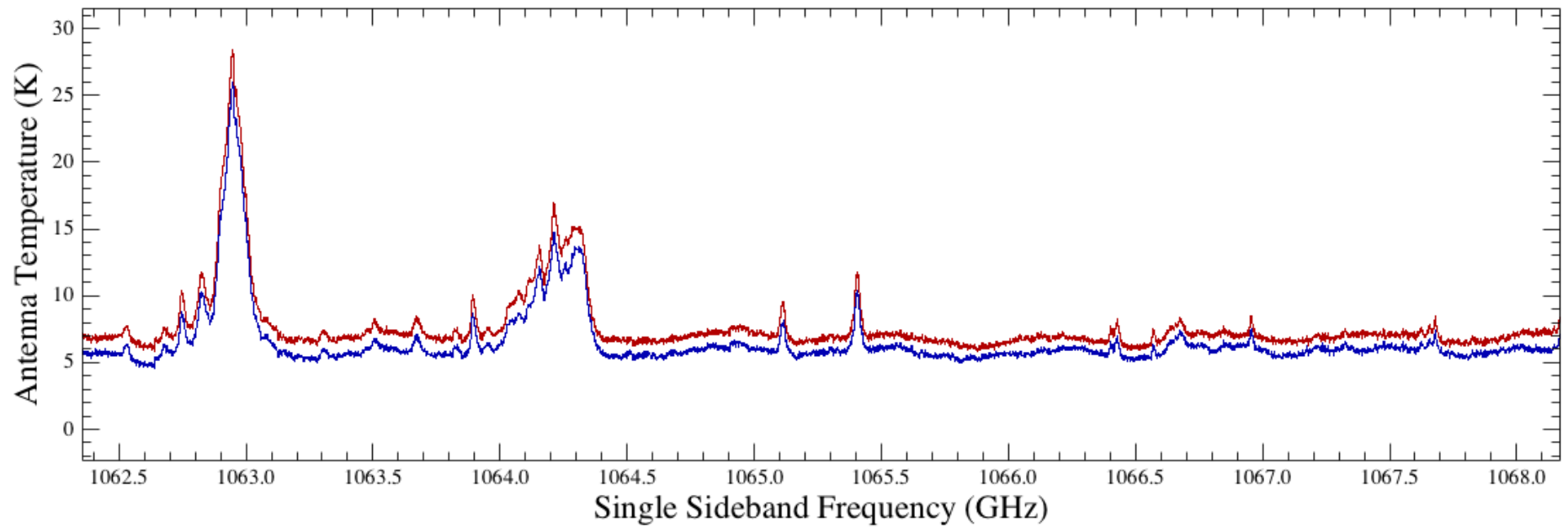
# Example: Iteration 1



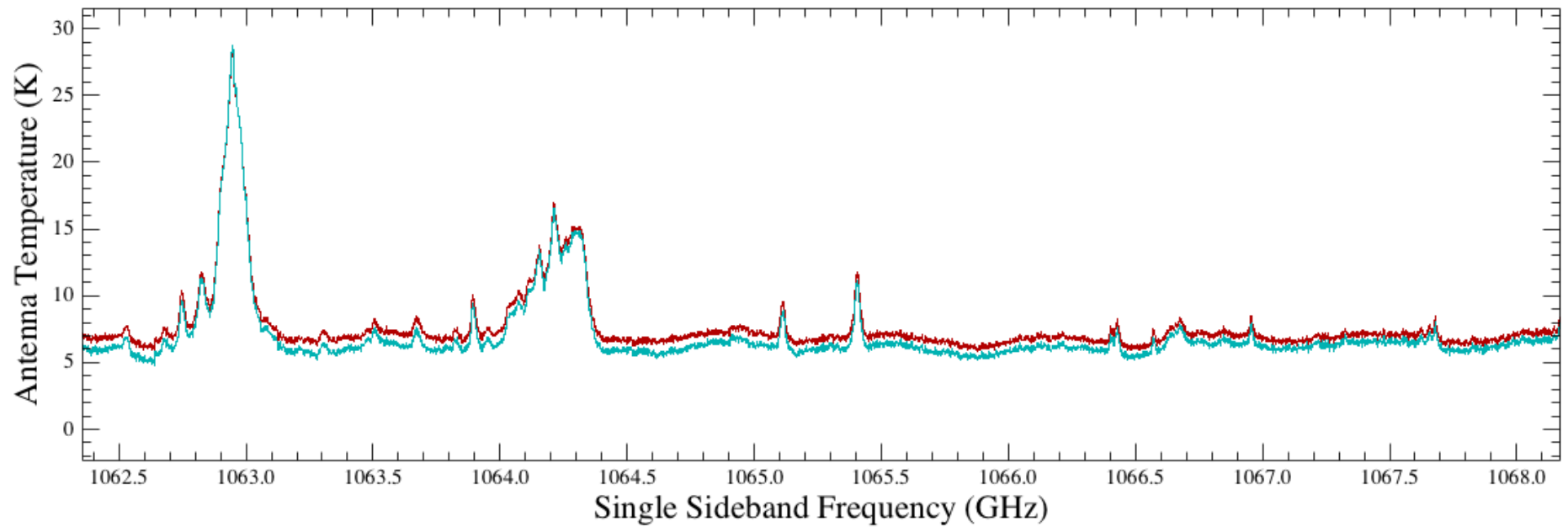
# Example: Iteration 2



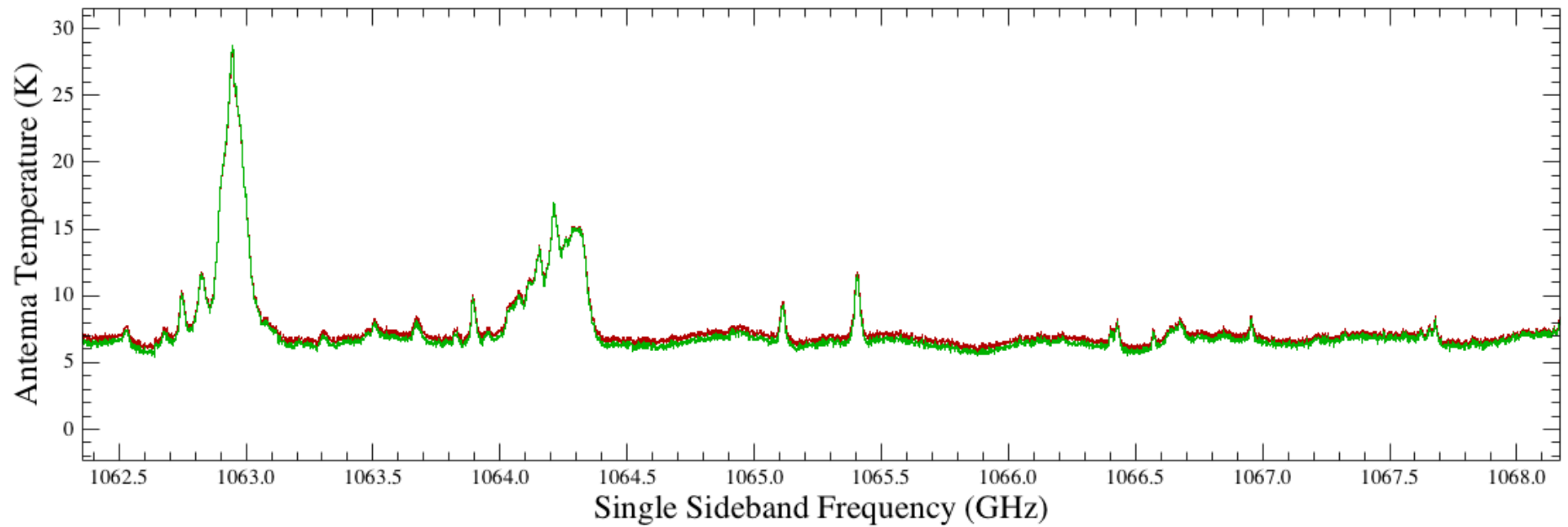
# Example: Iteration 3



# Example: Iteration 4

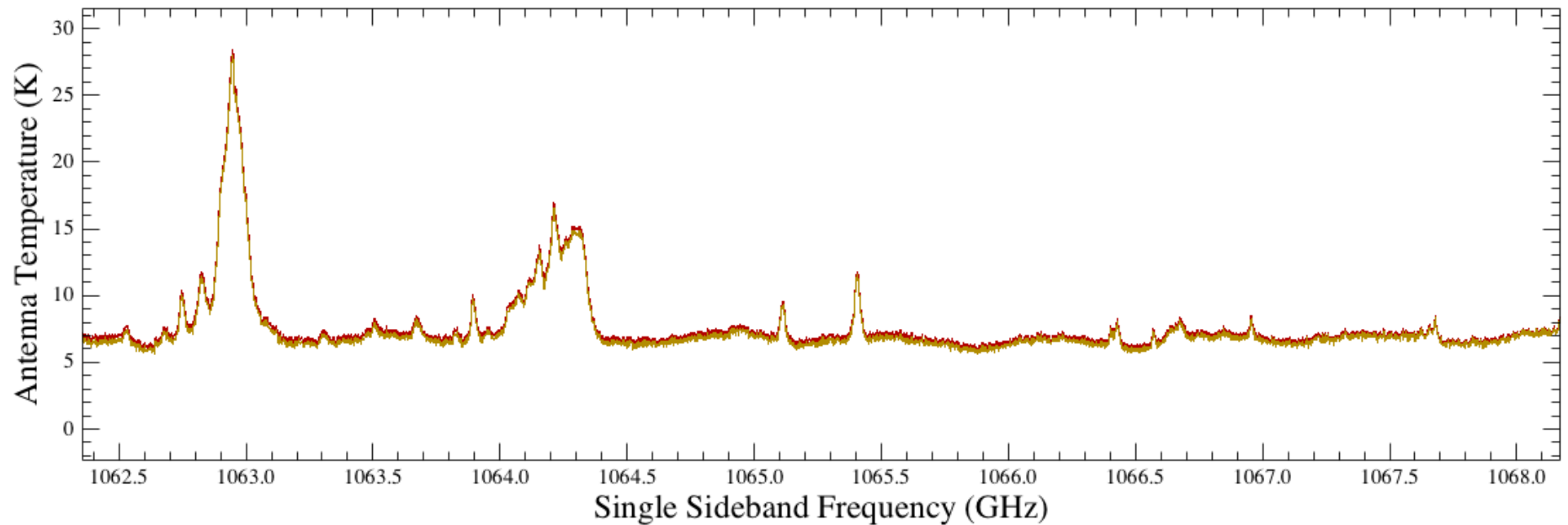


# Example: Iteration 5

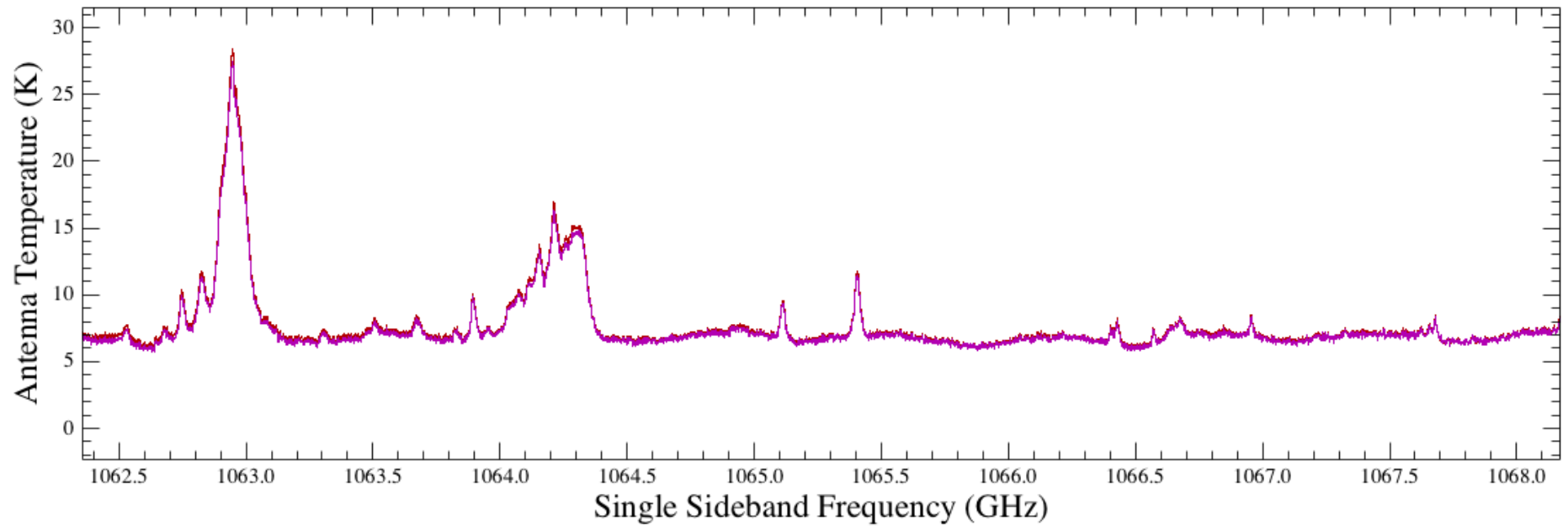




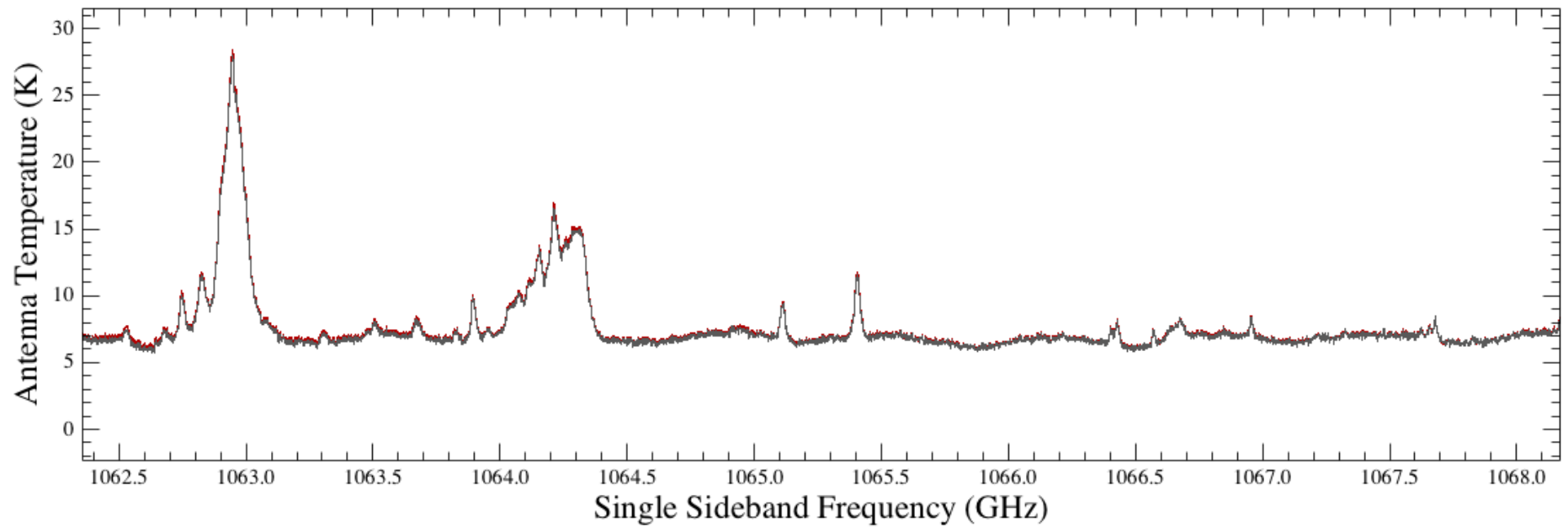
# Example: Iteration 6



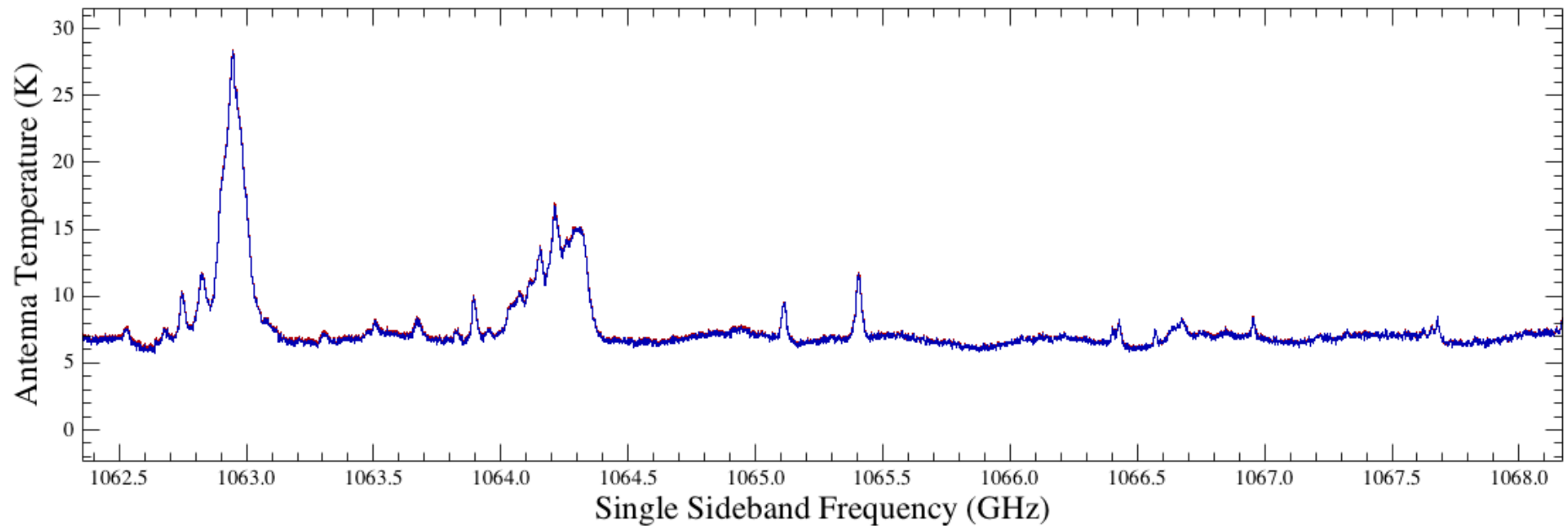
# Example: Iteration 7



# Example: Iteration 8



# Example: Iteration 9





# doDeconvolution caveats



- Iteration requires that the data make sense.
  - Sufficient redundancy
  - No spurs
  - Compatible baselines
  - No (or well behaved) standing waves

**Most work is done before deconvolution**

- Usage of ‘mini-scans’ popular but lack of overlap between LSB and USB is a problem.



# doDeconvolution features



- Can deconvolve multiple obsids
- Different levels of flag rejection (IMPORTANT)
- Offers expert level diagnostic plots for scans that behave poorly
- Has a maximum-entropy mode for cases where line density is low.
- Fits for the sideband ratios if desired, or uses values in the calibration tree.
- By default the SPG runs decon, but for interactive analysis it is best to run it standalone.

