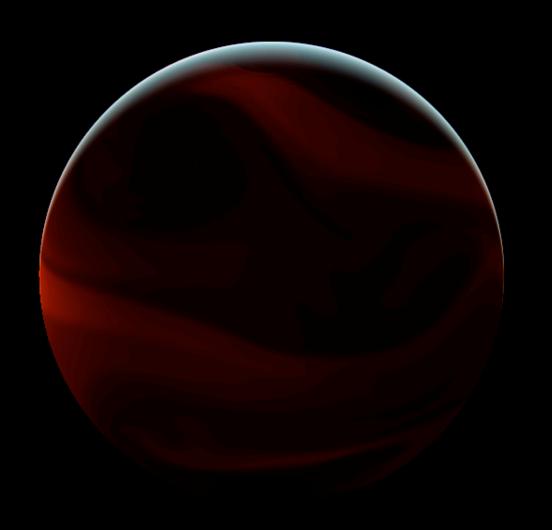
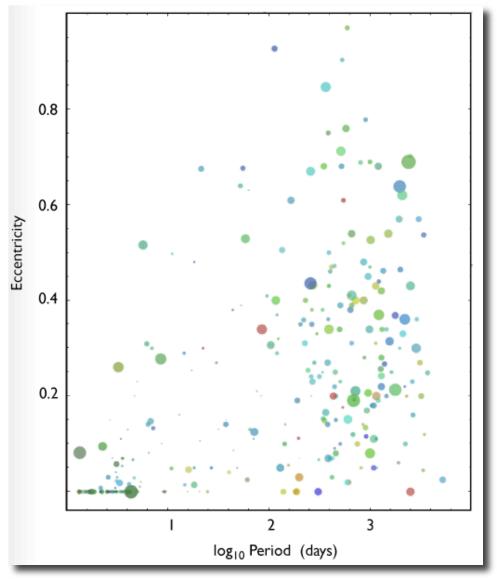
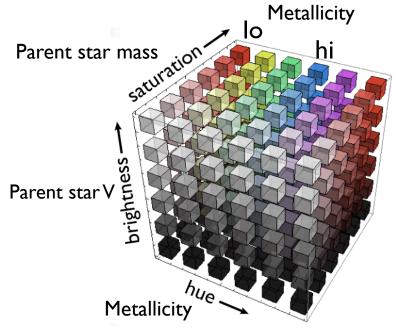
The Thermal and Dynamical Properties of



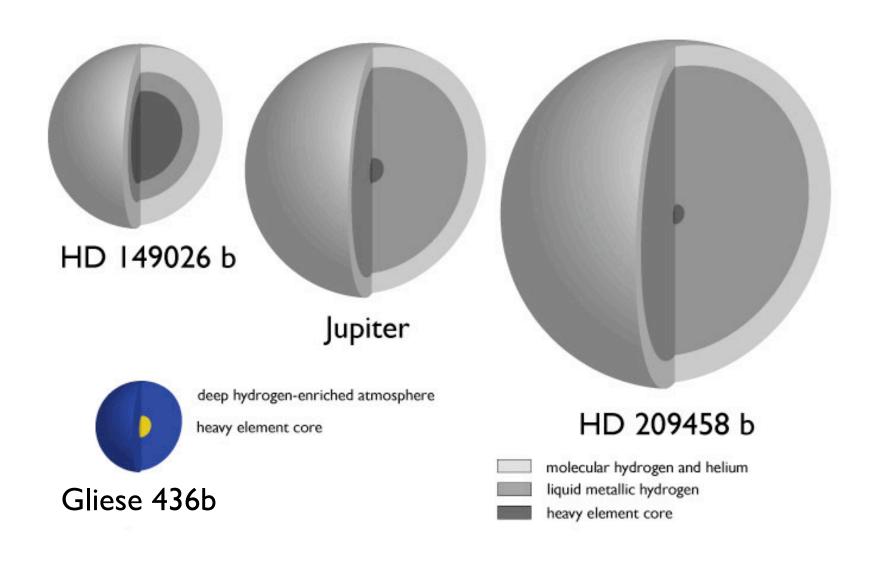


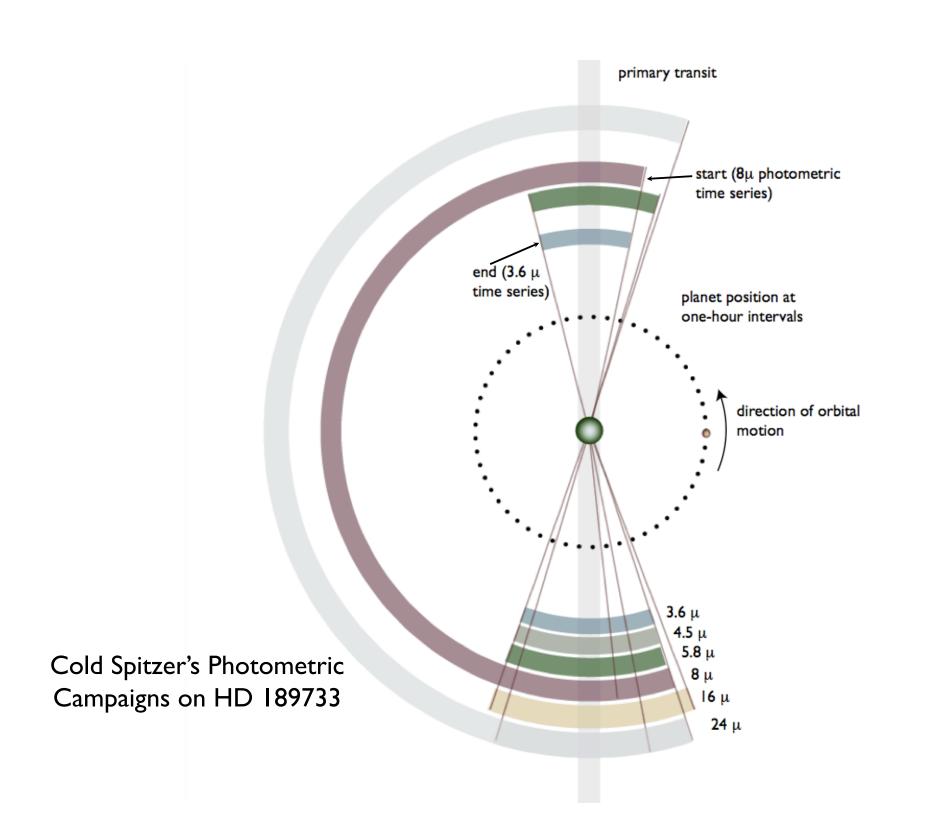
6D correlation diagram for extrasolar planets

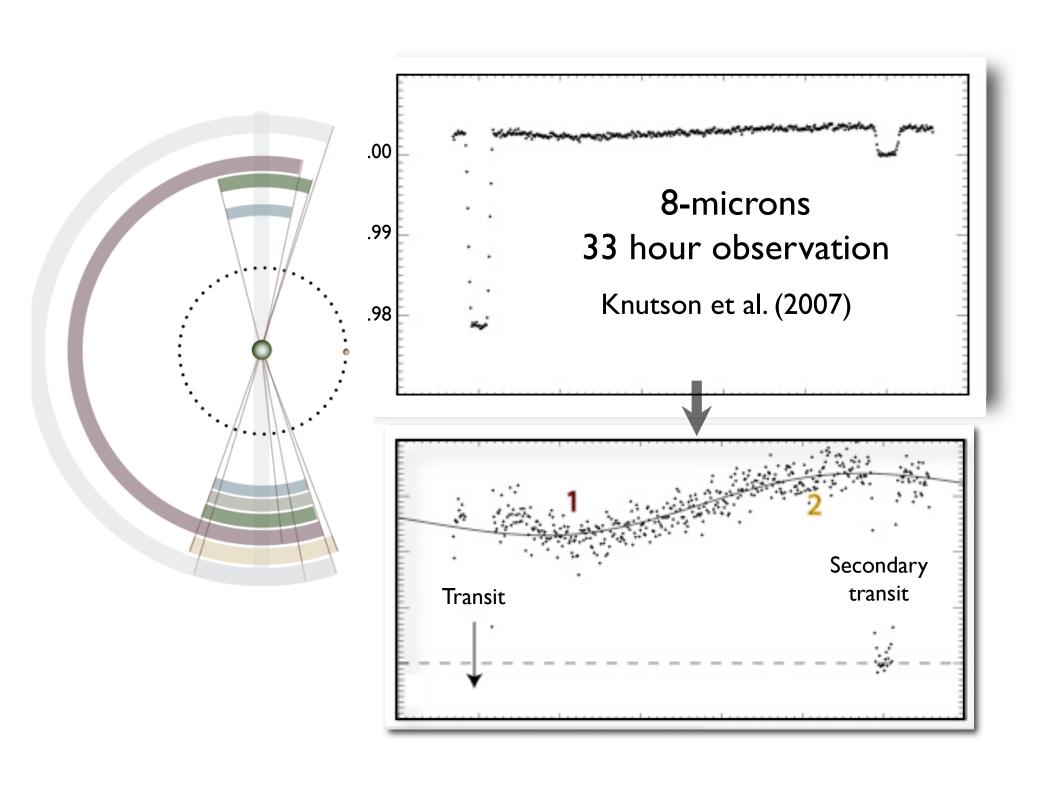


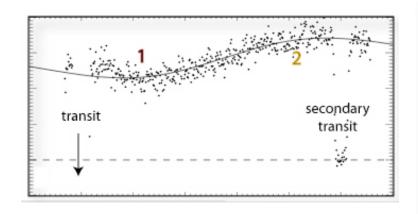
(First of 33 slides)

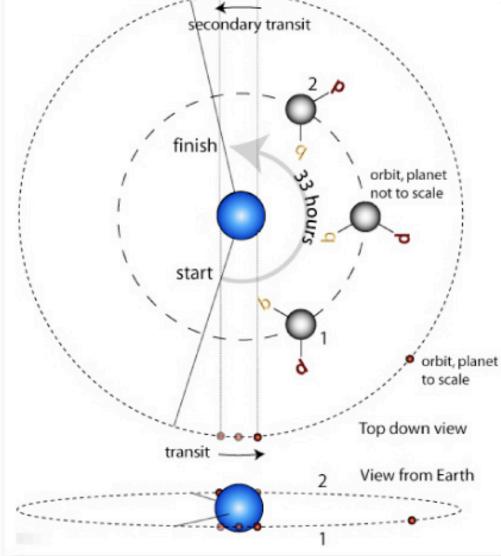
Planetary mass and insolation are *not* fully correlated with observed planetary radii.

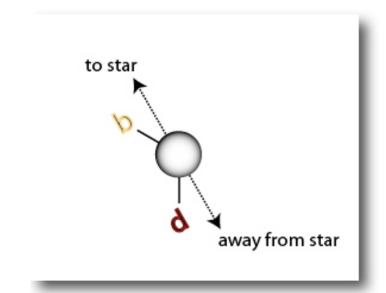












Interpretation of the result: Hottest and coldest spots are on the same side of the planet. First resolved "image" of an extrasolar planet.

Strategy: Adopt a "back-of-the-envelope" computational model to interpret the one-pixel satellite weather videos.

$$\frac{\partial \mathbf{v}}{\partial t} = -\mathbf{v} \cdot \nabla \mathbf{v} - \left(\frac{\alpha_2 (1 - \alpha_2 / 2)}{(1 - \alpha_2)^2}\right) \mathbf{v} \nabla \cdot \mathbf{v} - R\alpha_1 \nabla T - 2\Omega_{\text{rot}} \sin \theta (\hat{n} \times \mathbf{v})$$

$$\frac{\partial T}{\partial t} = -\mathbf{v} \cdot \nabla T - k \left(\frac{1 - \alpha_2/2}{1 - \alpha_2} \right) T \nabla \cdot \mathbf{v} + f_{\text{rad}}.$$

$$\alpha_1 \equiv \ln(p_b/p)$$

$$\alpha_2 \equiv 1/(1+\alpha_1)$$

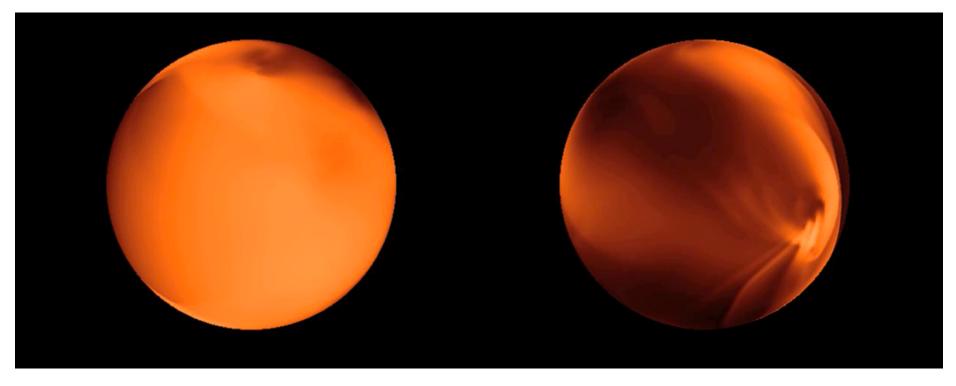
$$F_{\text{pen}} = (1 - A)(1 - X) \left(\frac{L_*}{16\pi a^2 \sqrt{1 - e^2}} \right)$$

$$T_{\rm n} = \left(\frac{F_{\rm pen}}{\sigma} + T_{\rm int}^4\right)^{1/4}$$

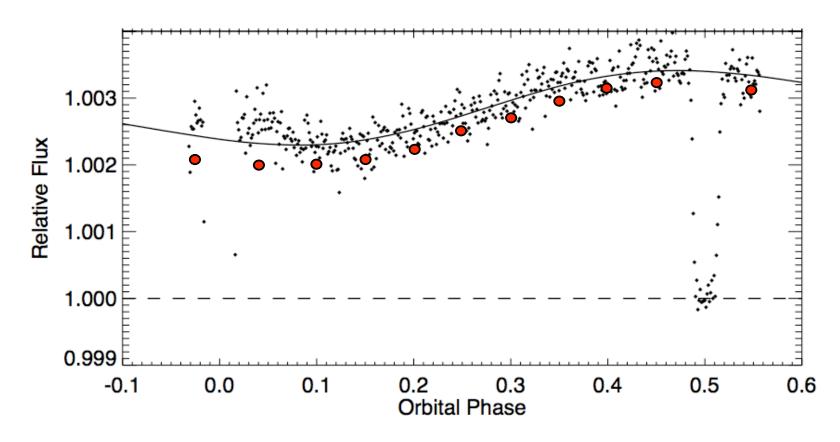
$$f_{\rm rad} = \left(\frac{\sigma g}{p c_p}\right) \left(\frac{\mathbf{X}}{1 - A}\right) \left(\frac{L_*}{4\pi\sigma a^2}\right) \cos\alpha + T_{\rm n}^4 - T^4\right).$$

X = fraction of incoming flux absorbed at or above the IR photosphere.

p = atmospheric pressure at
 the IR photosphere



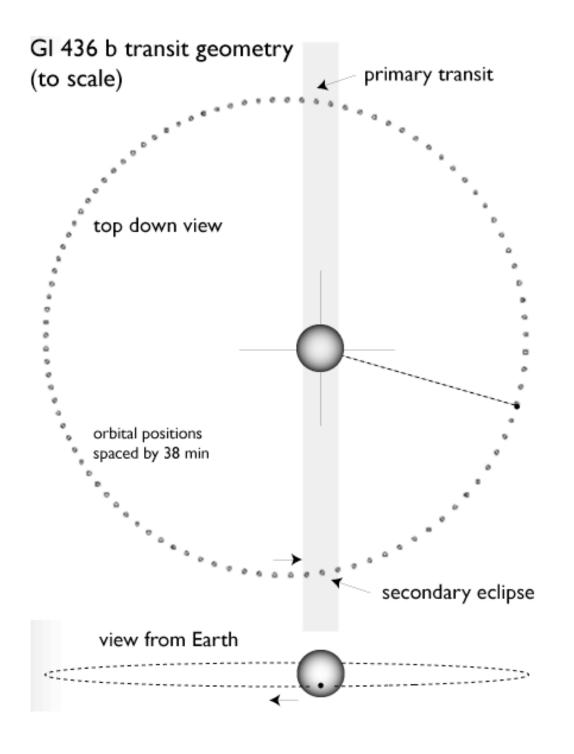
Day Side Night Side

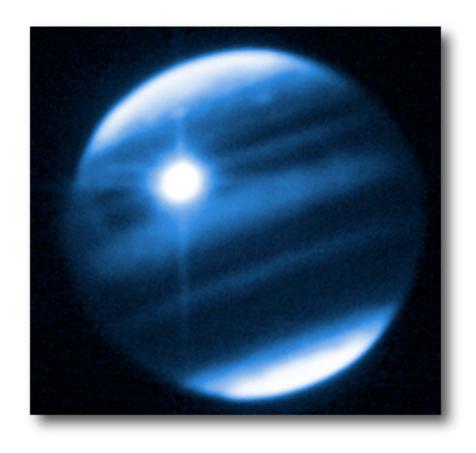


The simple model, plotted in red, gives a reasonable fit to the HD 189733 8-micron photometry if the 8-micron photosphere lies at 150 mbar, and 1/2 of the incident starlight has been absorbed at this pressure depth. (Also a good fit to 24-micron photometry.)

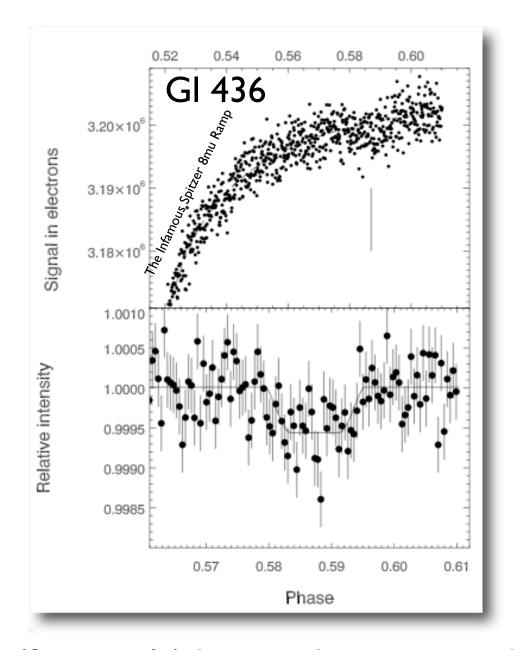
It would be interesting to test radiationhydrodynamical models on planets that are not in steady state.

This would allow a clear distinction to be made between the effects of advection (wind) and the radiative time constant in the atmosphere.



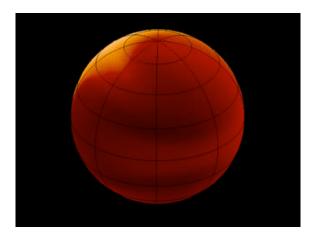


Jupiter and Io in the K-band

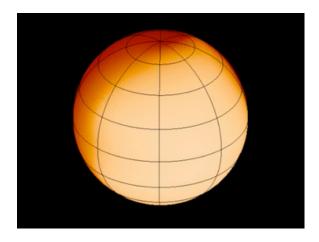


(Seemingly) hotter than expected.

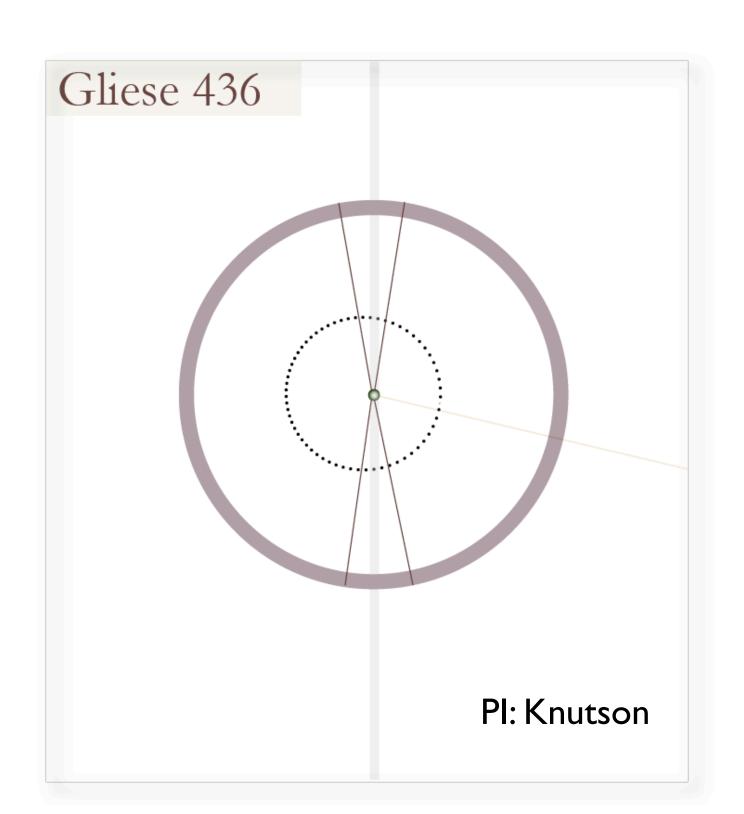
Western Hemisphere

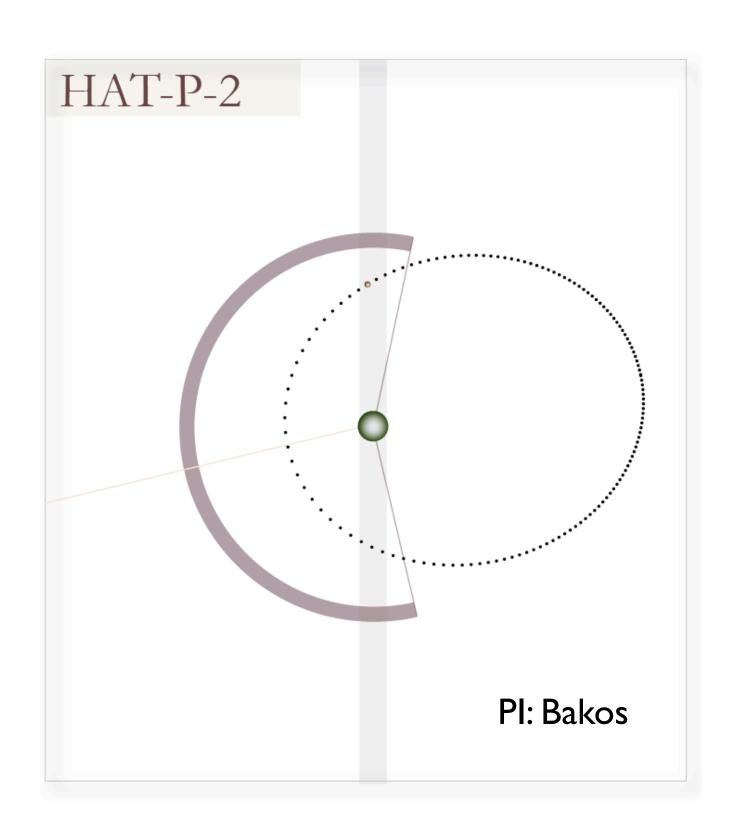


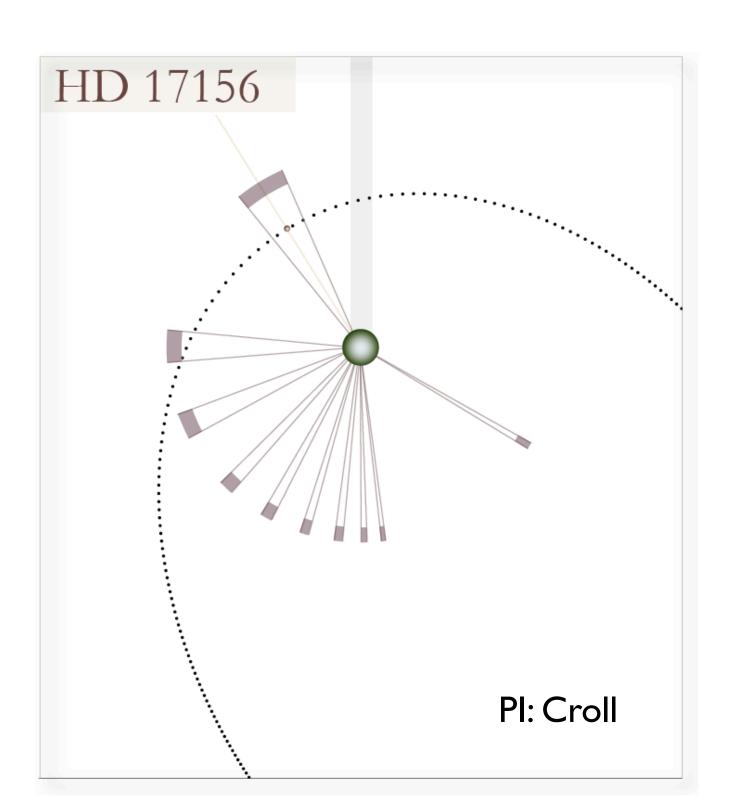
Eastern Hemisphere



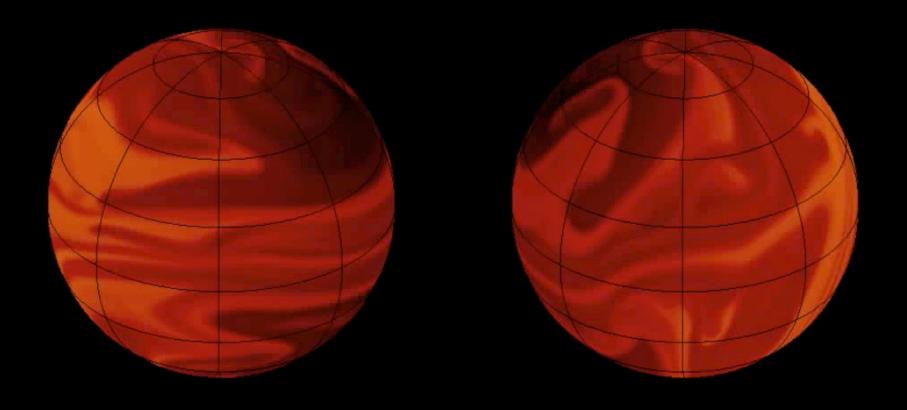
Hydrodynamic model: Langton & Laughlin 2008, using Hut 1981 pseudosynchronous spin frequency.



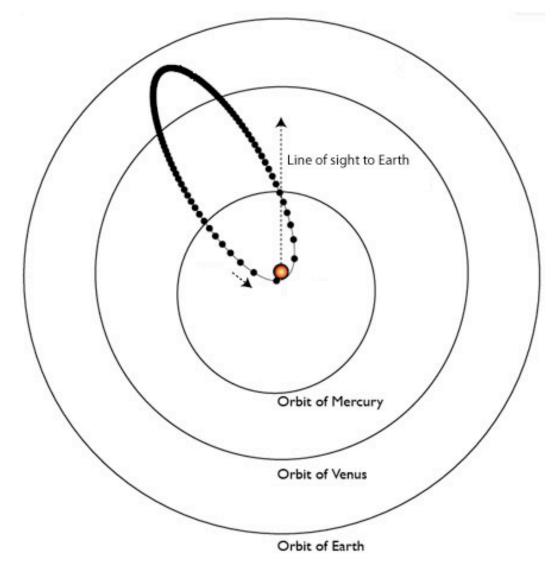




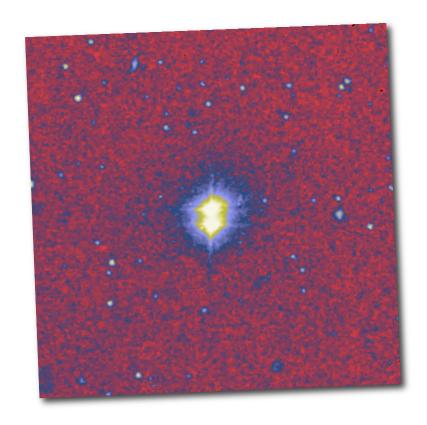
HD 17156 b



Temperature Range: 620K to 1430K

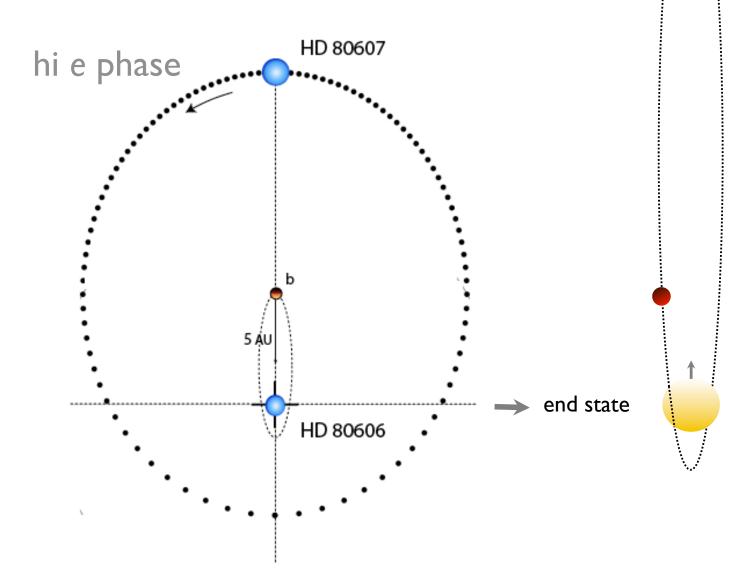


HD 80606b has a P=111.4 day orbital period, a semi-major axis, a=0.45 AU, e=0.9327, $M\sin(i)=4$ Mjup, and a periastron distance, $a(1-e)\sim7$ stellar radii.



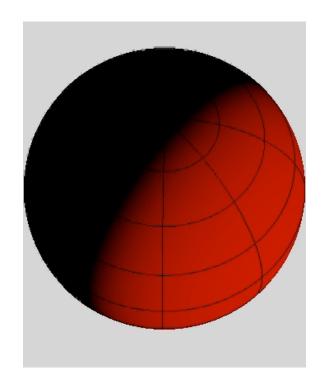
HD 80606 & HD 80607

~1000 AU Separation

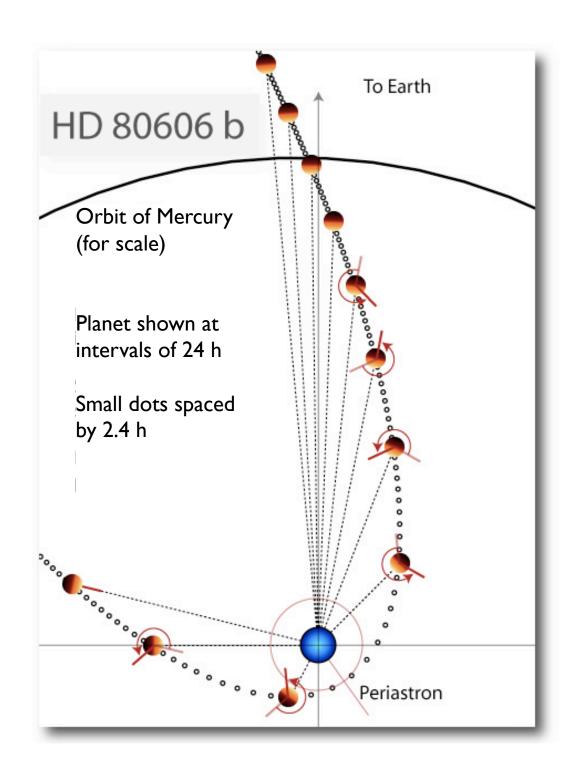


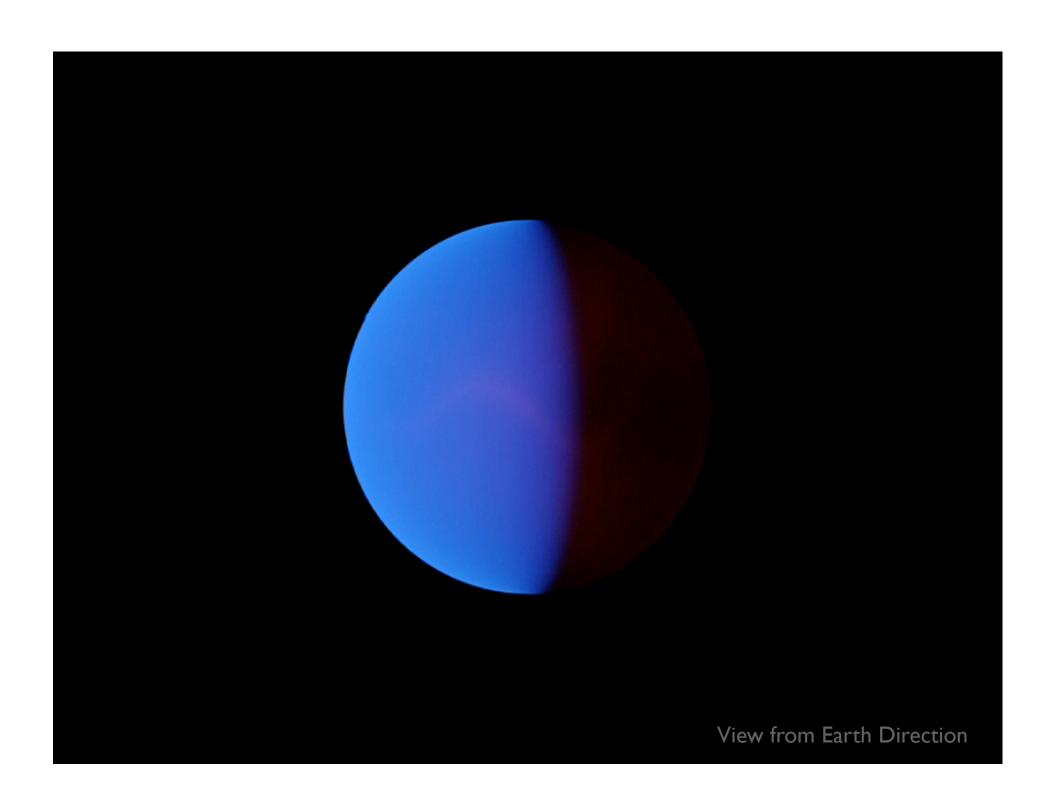
As the orbit shrinks, GR precession eventually destroys the Kozai oscillations, leaving the planet marooned in its high-e state.

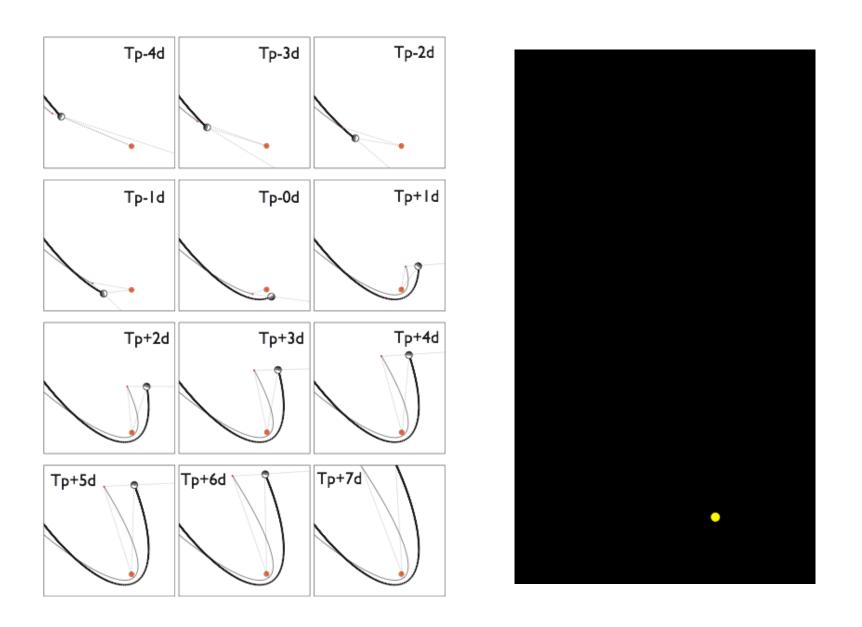
Expectation: pseudo-synchronization



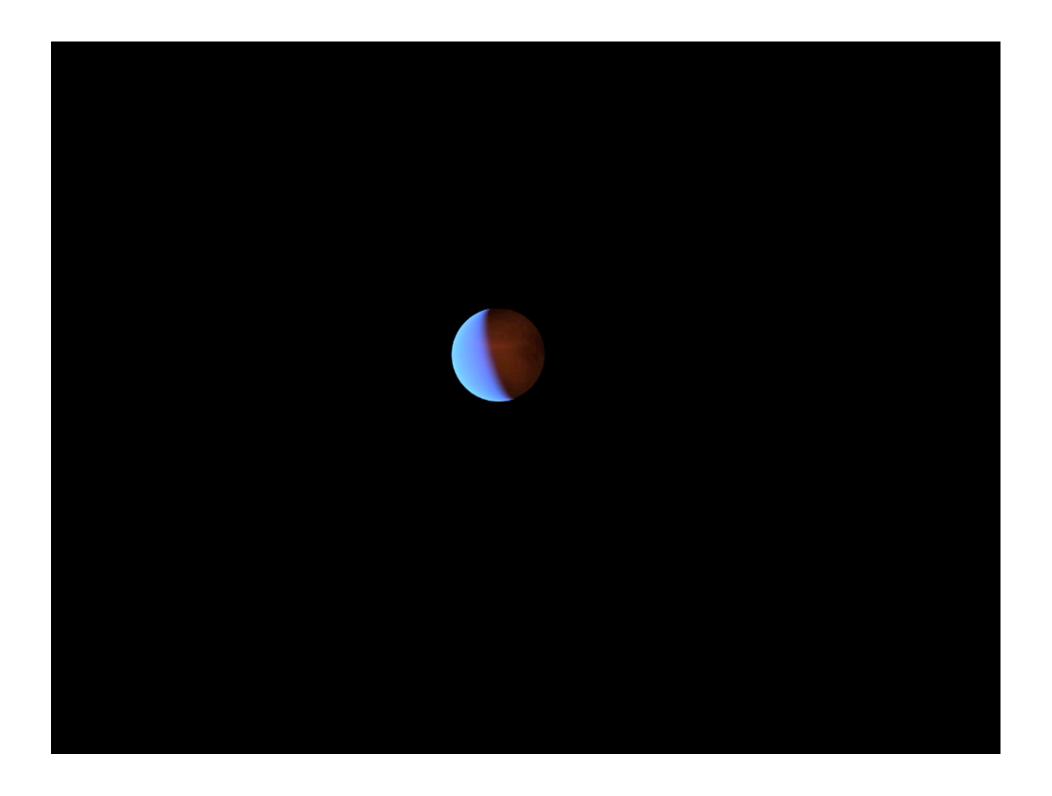
Irradiation thru Periastron: planet frame

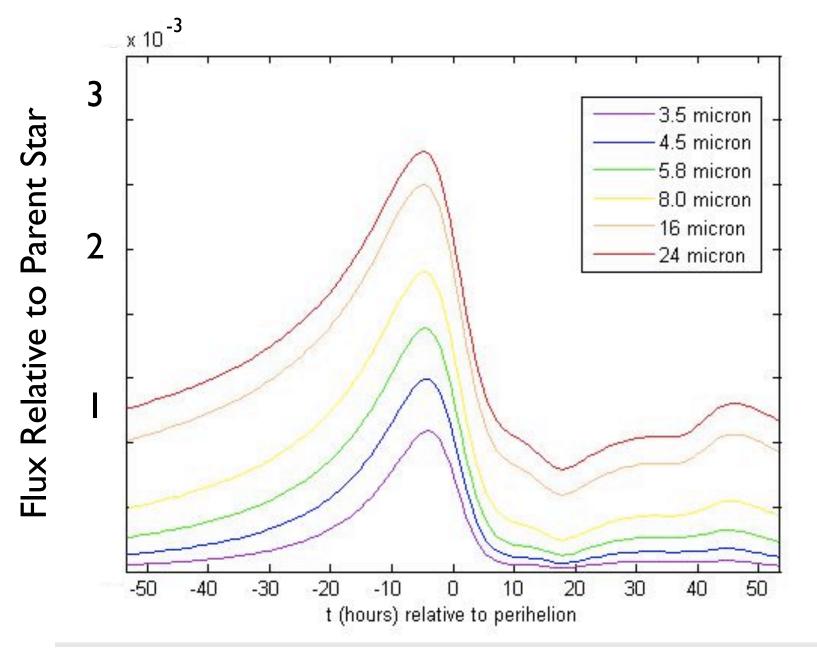




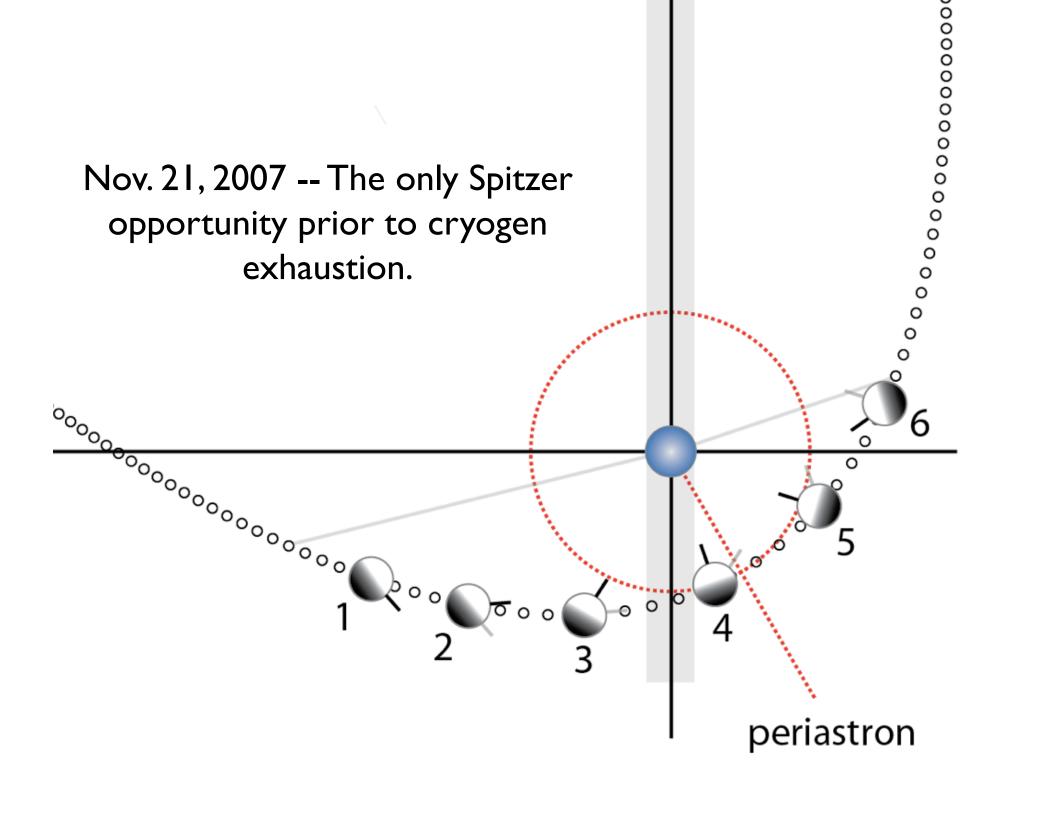


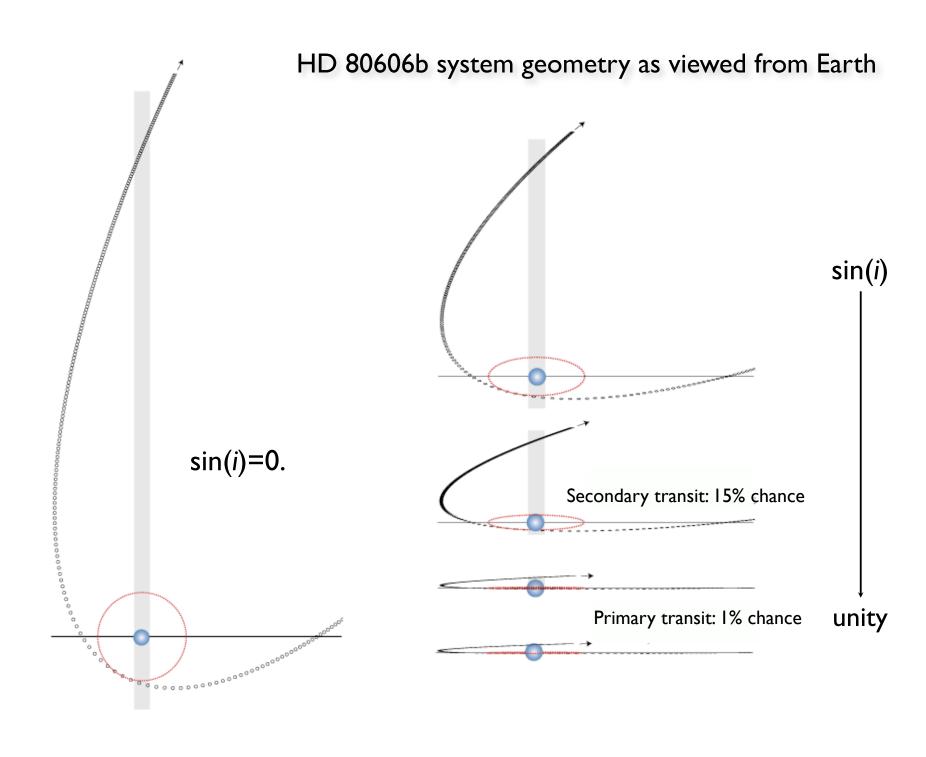
Synthetic "Missions" to HD 80606b

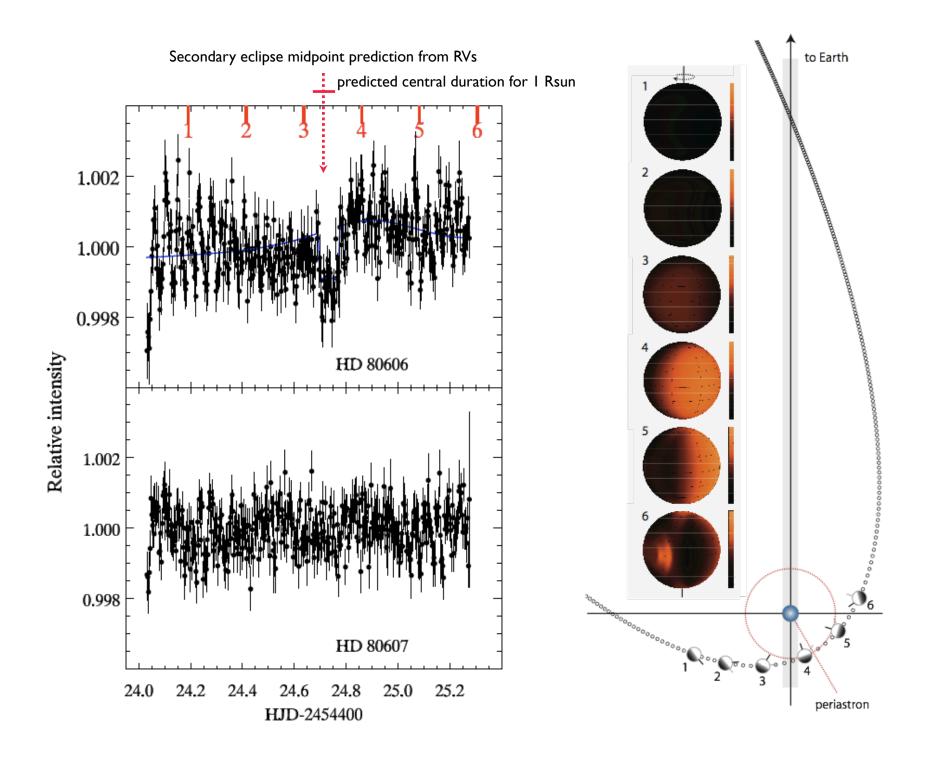




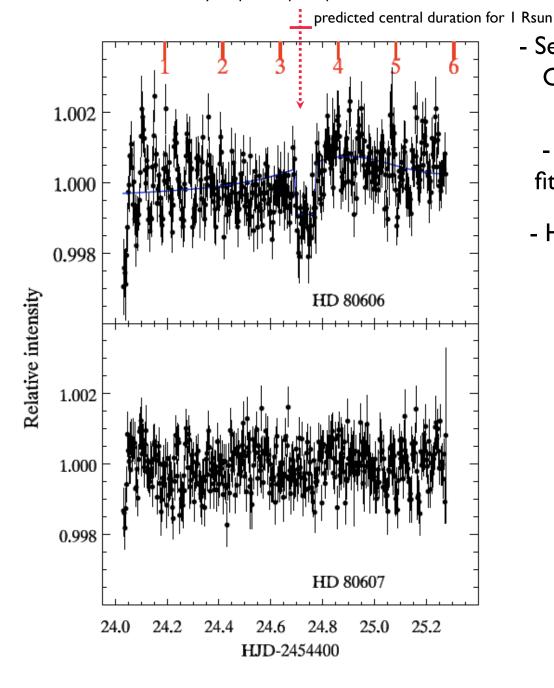
Predicted light curves in Spitzer bands for edge-on geomety



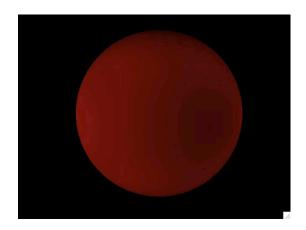




Secondary eclipse midpoint prediction from RVs

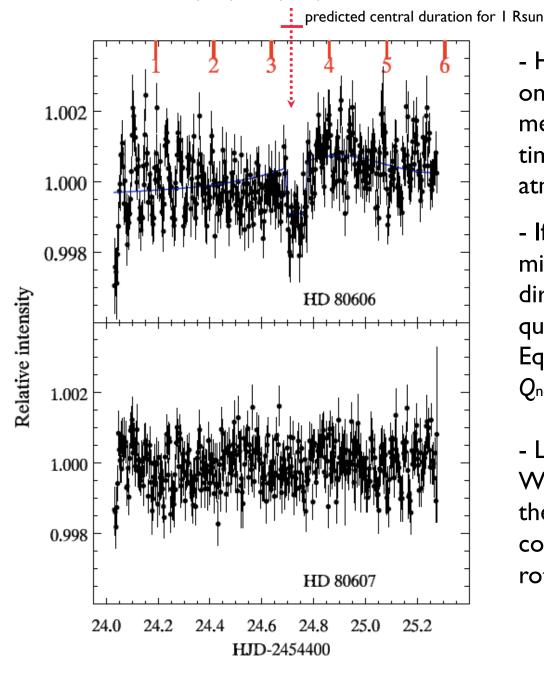


- Secondary Transit observed!
 Consistent with a central eclipse.
 - Model calibrated to 189733 fits reasonably well. (Blue line).
 - Heating from 800 to 1500K in only 6 hours.

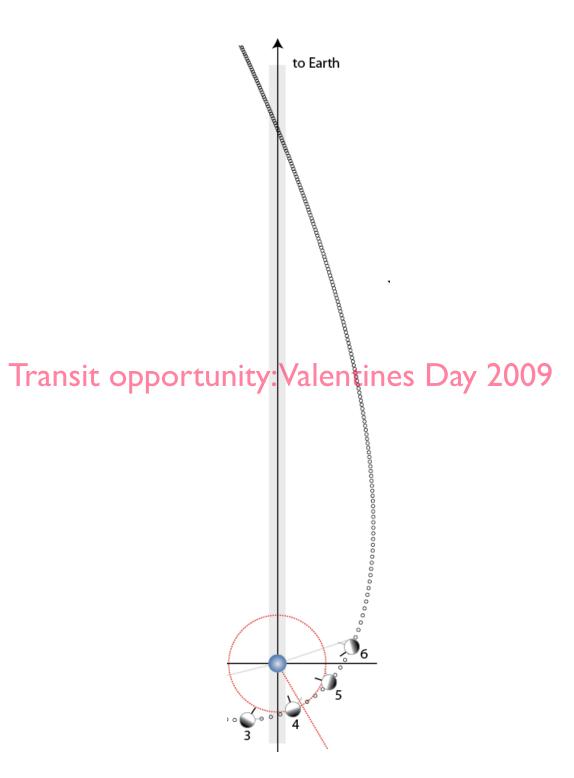


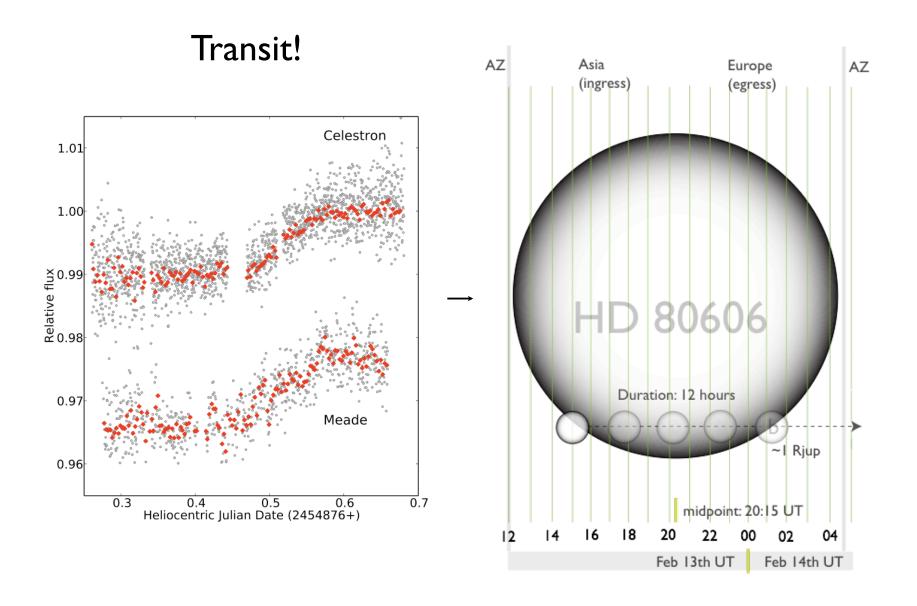
Model (Earth view, 30h)
Tmin=750K, Tmax=1500K

Secondary eclipse midpoint prediction from RVs



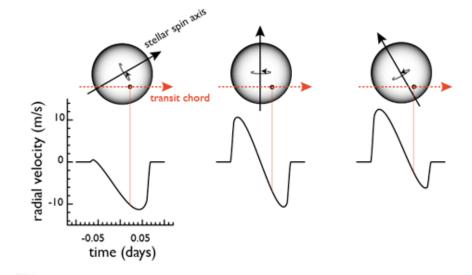
- Heating from 750 to 1500K in only 6 hours. Direct measurement of the radiative time constant in the atmosphere
- If we assume the Kozai migration history, we have a direct measurement of the tidal quality factor, Q, for the non-Equilibrium eccentricity tide: $Q_{\text{neq}} \sim 300,000$
- Longer observations with Warm Spitzer can confirm these results, and can hopefully confirm pseudosynchronous rotation.

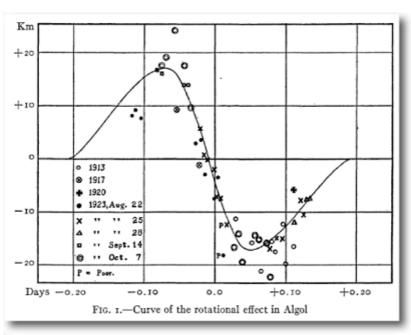




See oklo.org for details

The Rossiter-McLaughlin Effect





Rossiter 1924 (Algol)



